

Towards Current Mapping of Photovoltaic Devices by Compressed Imaging

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Outline

- Summary of compressed sensing theory
- Application on PV spatial characterization
- Prototype experimental setup
- Initial measurements

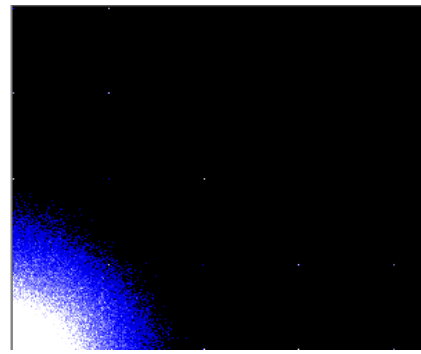
Compressed sensing theory motivation

- JPEG image compression
- Sample everything (initial picture)
- Discrete Cosine Transform or Wavelet Transform (JPEG2000) – sparse representation
- Compress to store as JPEG, using a small number of coefficients to save space
- Reconstruct using this small amount of coefficients

Sample



Applied PV group
CREST



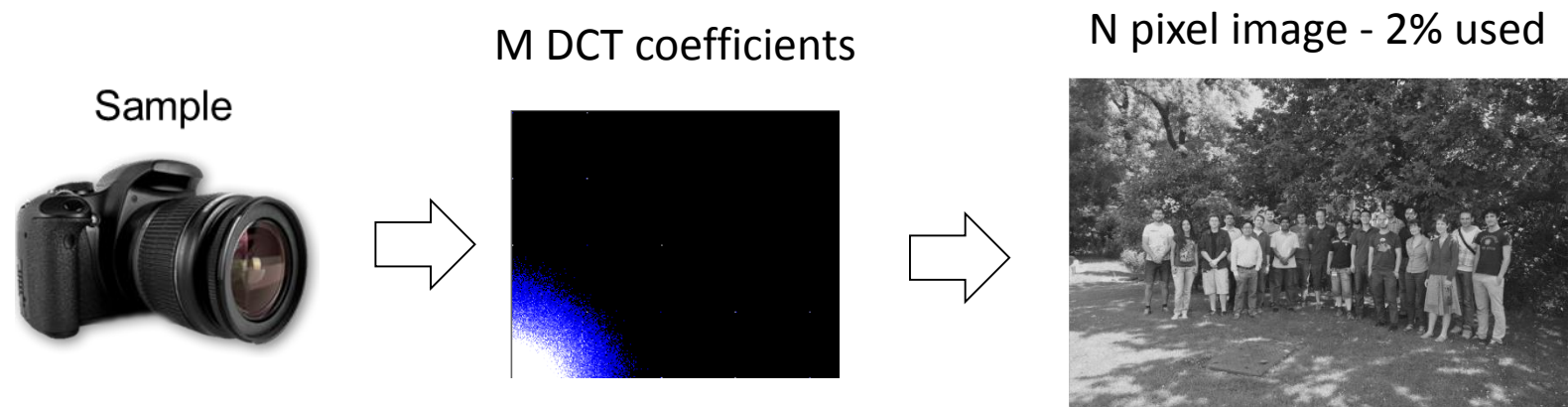
DCT coefficients



Reconstruction using
only 2% largest DCT
coefficients

Compressed sensing theory motivation

- In signal compression a huge amount of information is thrown away anyway
 - Why measure it in the first place?
 - Sample only a compressed version of the signal
 - Reconstruct the signal (image)
-
- Useful in applications where measurements have a high “cost” :
 - Expensive detectors
 - Limited time
 - High sampling rate not possible



Compressed sensing theory: summary

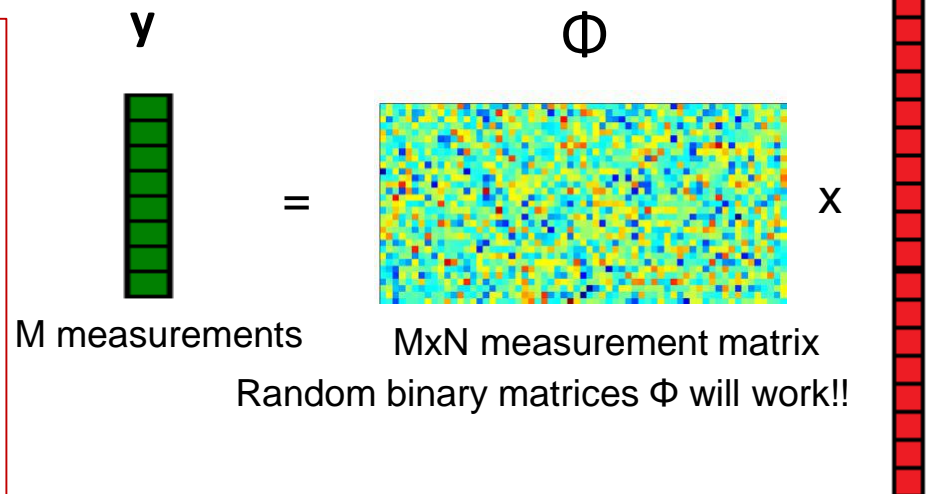
- A Signal \mathbf{x} is K sparse in basis ϕ (i.e. DCT domain)

Step 1

- Acquire a “condensed” representation using $M < N$ linear measurements between \mathbf{x} and a collection of test functions $\{\phi_m\}_{m=1}^M$
- In other words we measure $\mathbf{y}[\mathbf{m}] = \langle \mathbf{x}, \phi_m \rangle = \Phi[\mathbf{m}, \mathbf{n}] \mathbf{x}[\mathbf{n}]$

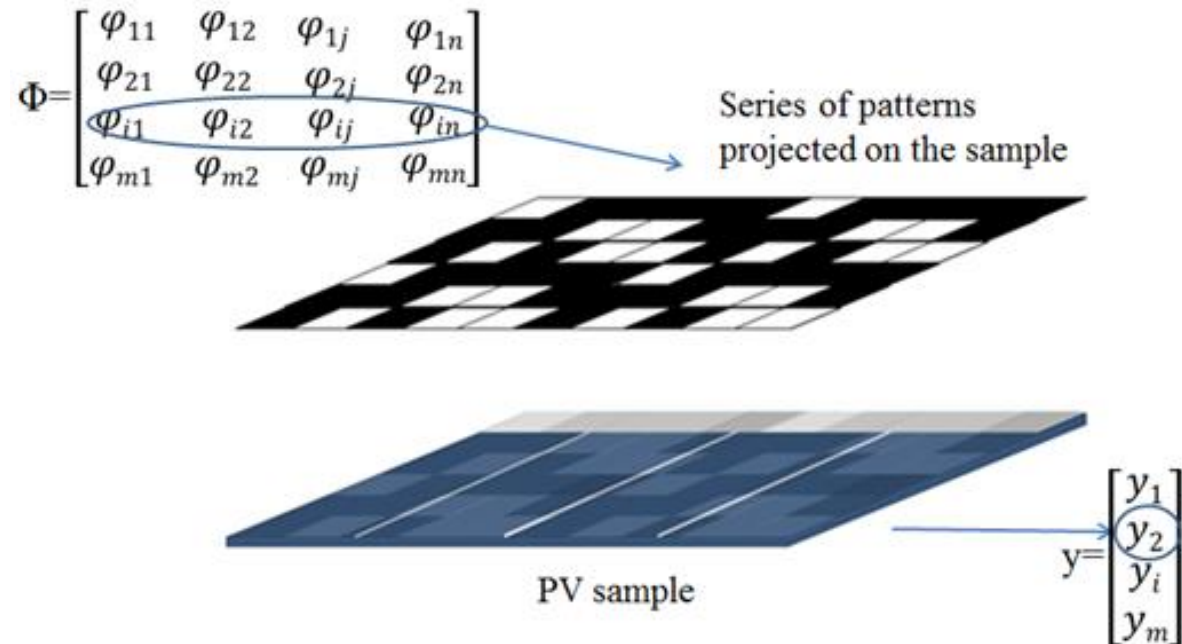
Step 2

- Reconstruction: given $\mathbf{y} = \Phi \mathbf{x}$
 find \mathbf{x}
- Infinite solutions
- convex optimisation problem
- ℓ_1 minimisation is used to determine \mathbf{x}
- $\hat{\mathbf{x}} = \underset{\mathbf{x}}{\operatorname{argmin}} \|\mathbf{x}\|_1$ subject to $\mathbf{y} = \Phi \mathbf{x}$
- Other norms are also used



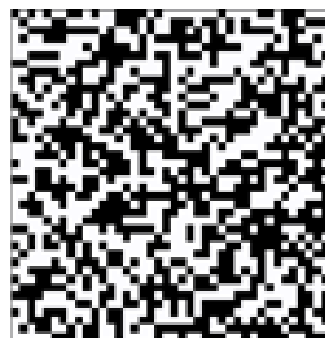
Compressed sensing: Application on PV characterisation

- For a pixel by pixel scan, Light Beam Induced Current (LBIC) measurements can last several hours for mapping the local current of a typical PV cell.
 - We can reduce measurement time by making compressed measurements
 - Illuminating the cell with a series of patterns which measure the necessary coefficients
-
- Reconstructing image using ℓ_1 norm (or any other algorithm that works)
 - Fewer measurements are needed for producing a current map



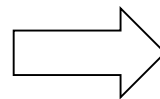
Compressed sensing: Application on PV characterisation

- Every row of Φ is a binary random pattern that will be projected on the sample, measuring the current response.
- The patterns and the image are represented in a vector form
- m measurements to measure the K necessary coefficients for a successful reconstruction $K \ll m \ll n = \sqrt{N} \times \sqrt{N}$



Random
binary
pattern

m measurements



$$\mathbf{y} = \begin{bmatrix} y_1 \\ y_2 \\ y_i \\ y_m \end{bmatrix}$$

Measurement
vector

Reconstruction
using ℓ_1
minimisation



solution

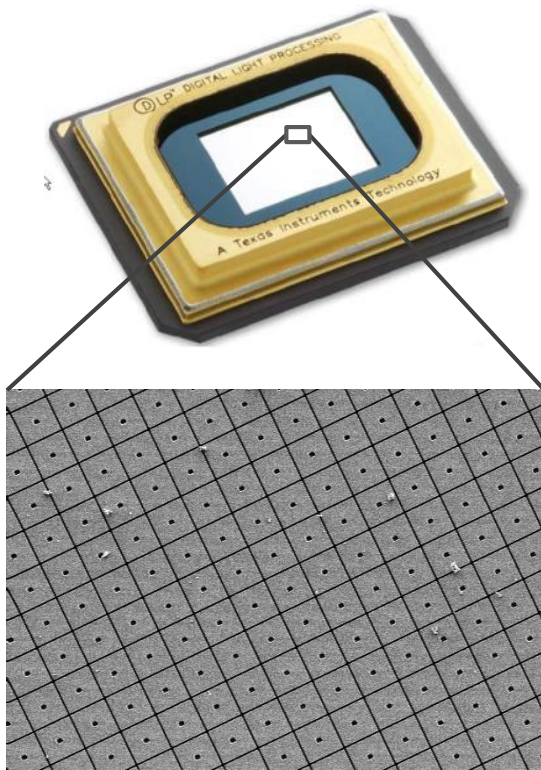
$$\hat{\mathbf{x}} = \begin{bmatrix} x_1 \\ x_2 \\ x_i \\ x_n \end{bmatrix}$$

$$\mathbf{y} = \Phi \mathbf{x}$$

Sensing
Matrix

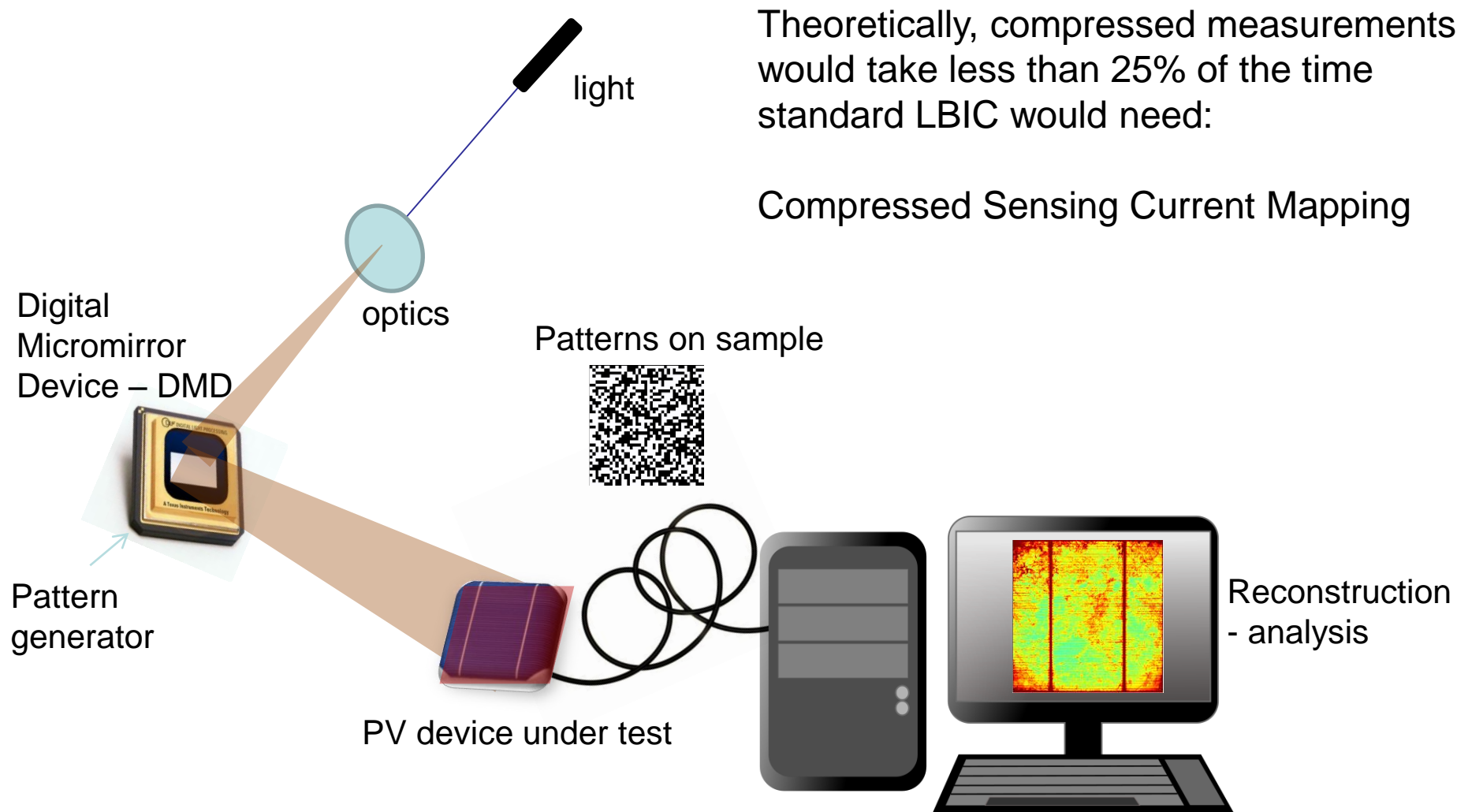
Unknown

Digital Micromirror Device – DMD Pattern generator



- Array of microscopic mirrors
- $+12^\circ$ / -12° mirror state On/Off
- Aluminium micromirror $\sim 10\mu\text{m} \times 10\mu\text{m}$ (size)
- Response time: $\sim 16\ \mu\text{s}$ - very fast sampling can be achieved
- Resolution:
 - from 800×600 up to 1920×1080 pixels

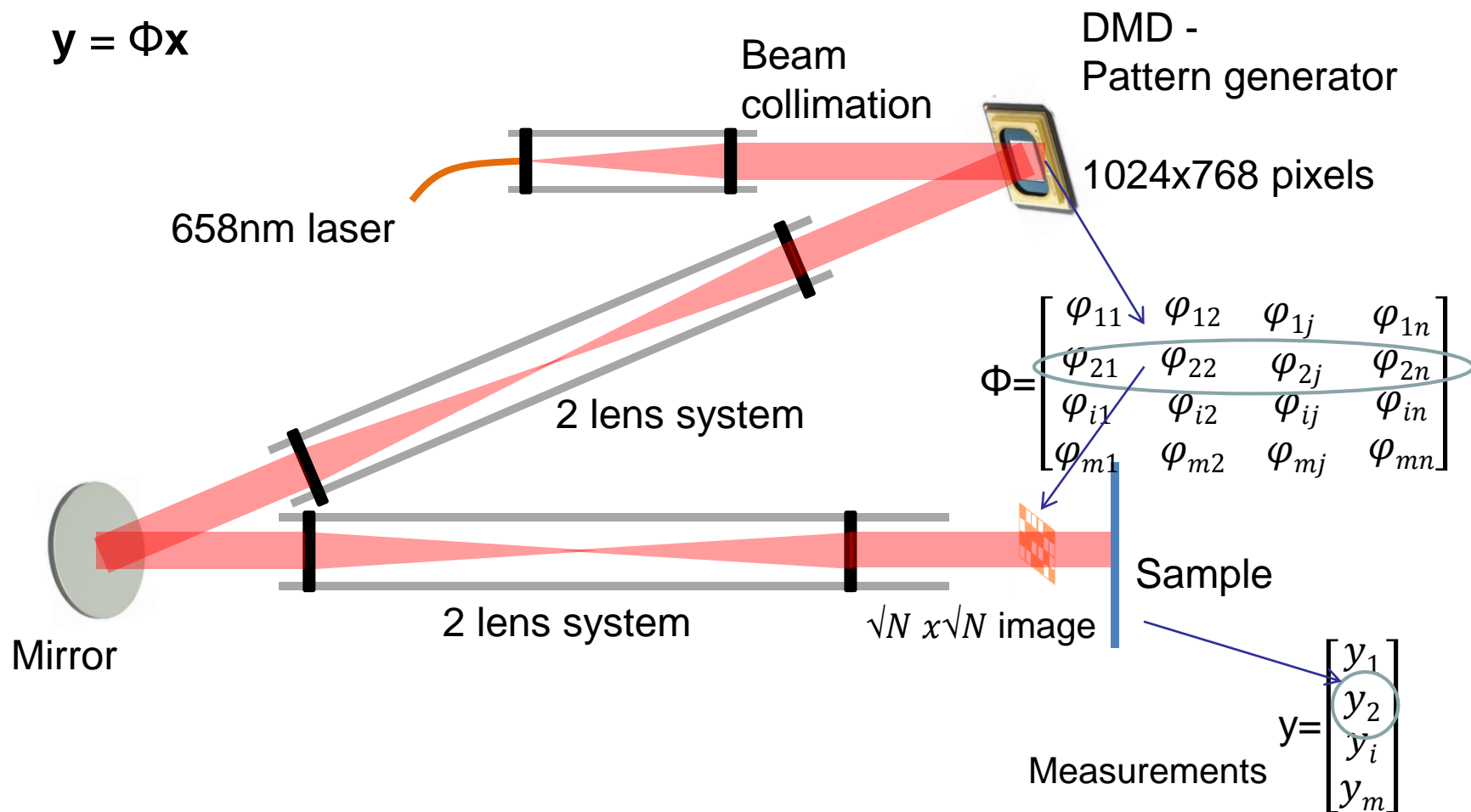
Compressed sensing: Application on PV characterisation



Theoretically, compressed measurements would take less than 25% of the time standard LBIC would need:

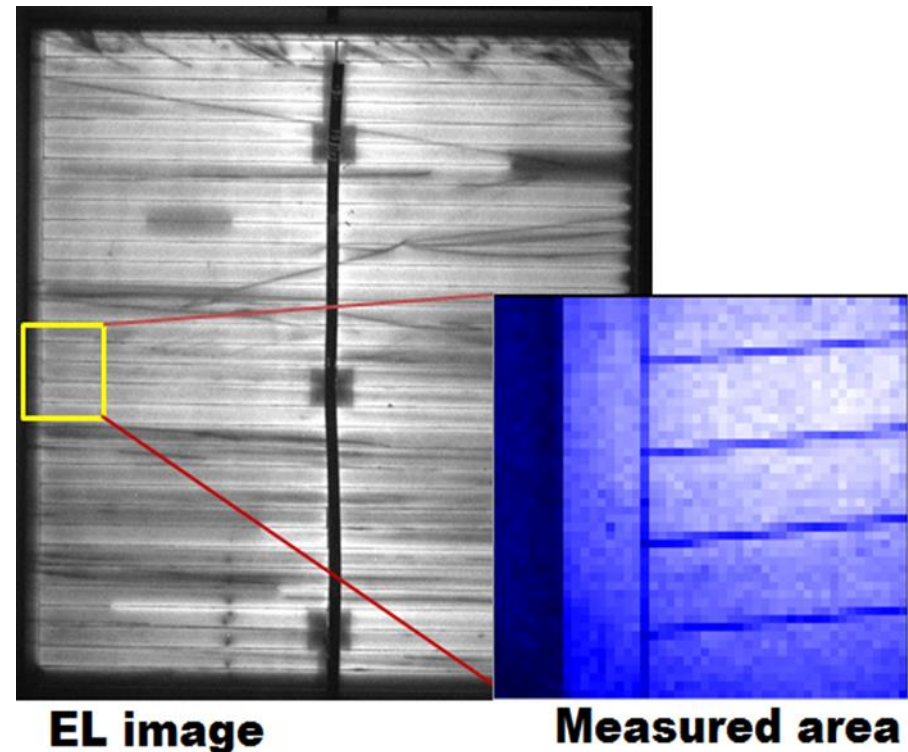
Compressed Sensing Current Mapping

Prototype setup in NPL



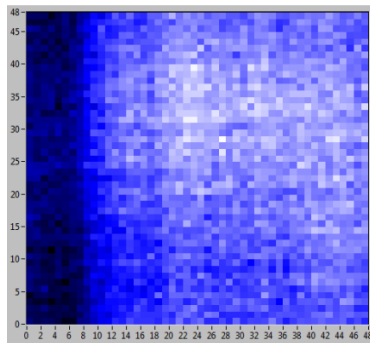
Initial measurements

- Ribbon mc-Si cells were encapsulated and characterised in CREST
- CS-LBIC measurements with the experimental setup in NPL.
- The CS-LBIC experimental setup can currently only scan a small area of the cell 1cmx1cm
- Small distortion of reconstructed image due to misalignment of the projection plane
- Non uniform irradiance on the sample

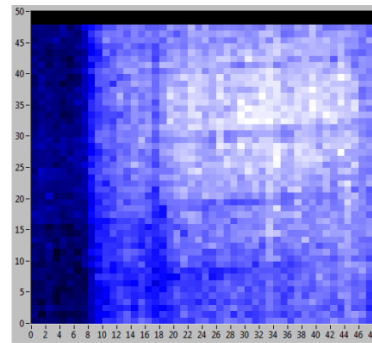


Initial measurements

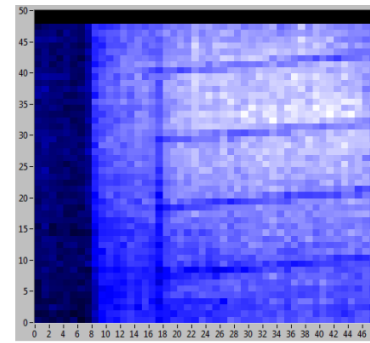
- Number of measurements is expressed as a percentage of the image's pixels (in reality this is the number of measurements a raster scan would need)
- Using a 658nm laser source no defects are visible
- 48x48 current map (2304 pixels) – 160 μ m resolution



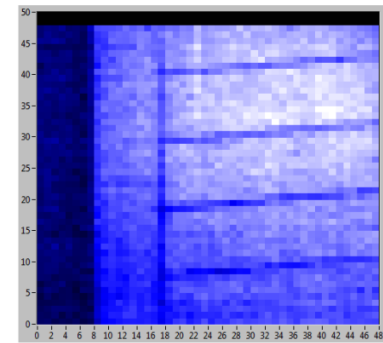
10%



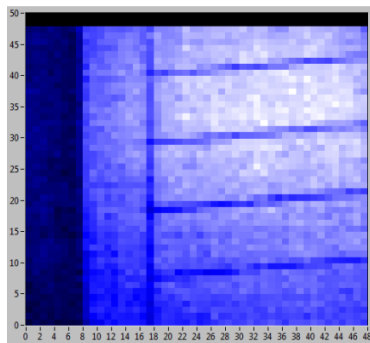
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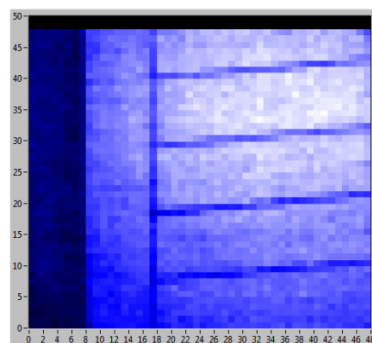
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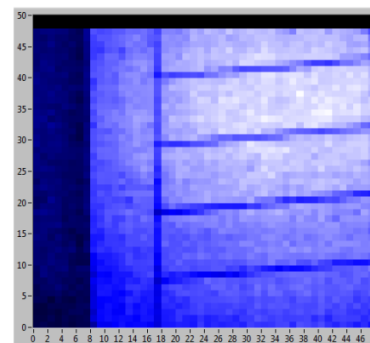
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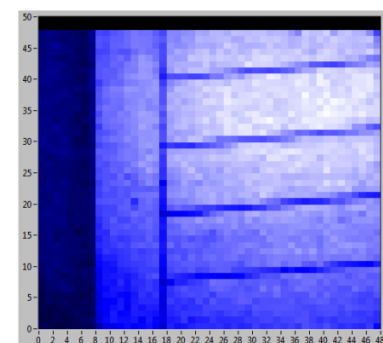
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60%



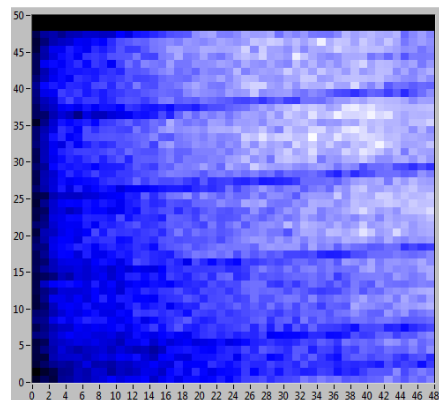
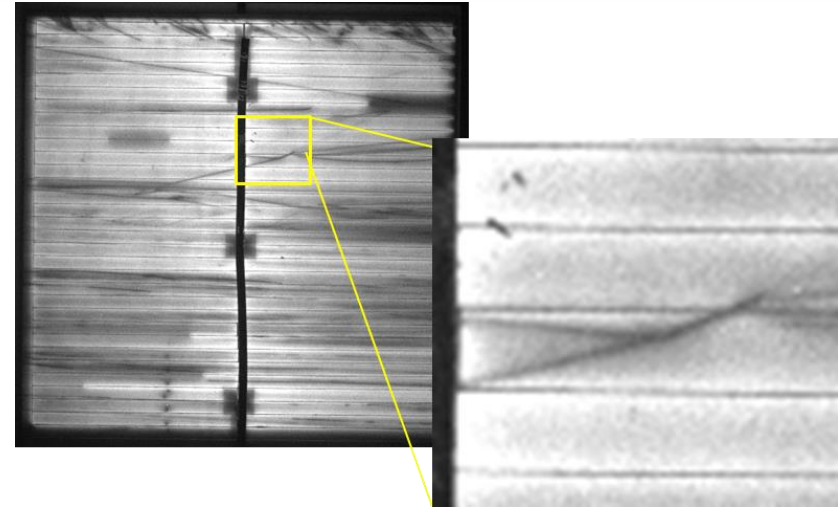
70%



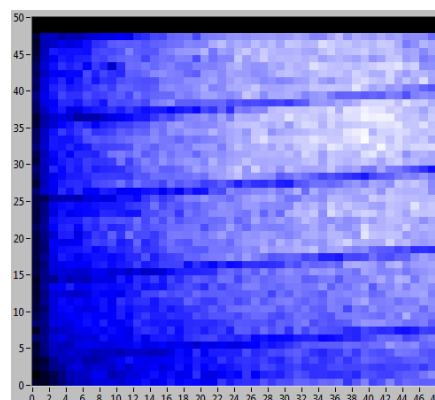
80%

Initial measurements

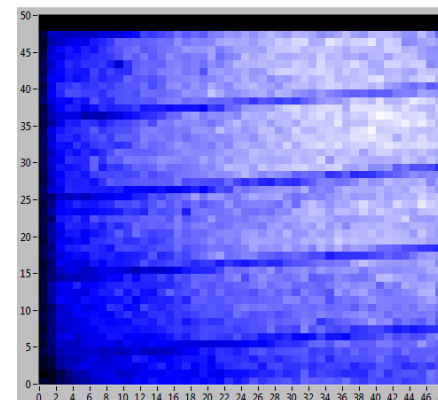
- Using a 785nm laser source on an area of the sample that contains a crack
- 48x48 current map – 160 μ m resolution



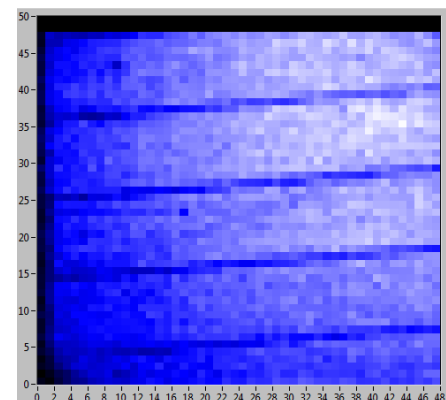
25%



40%



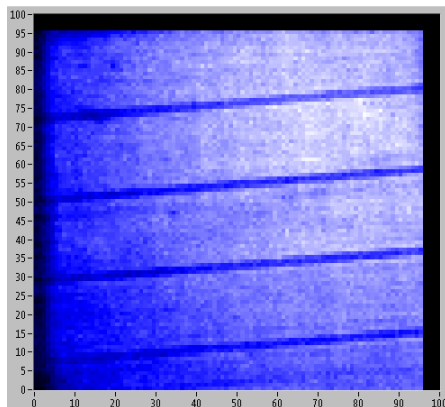
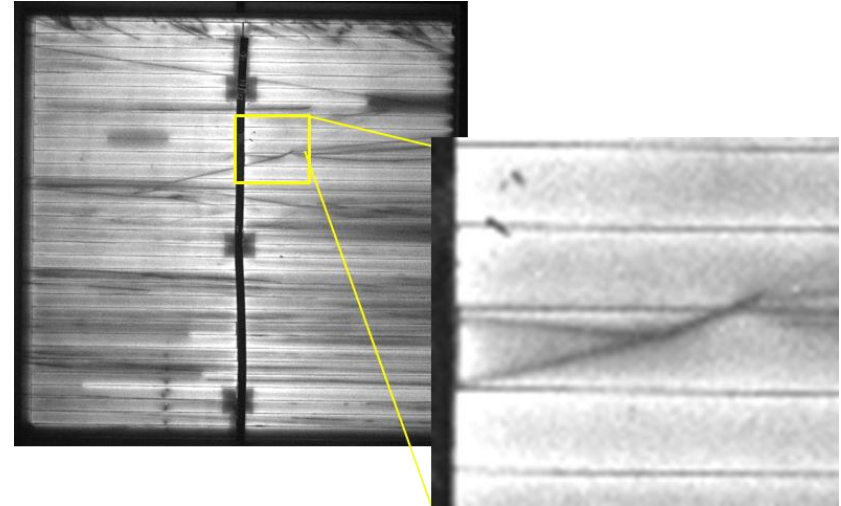
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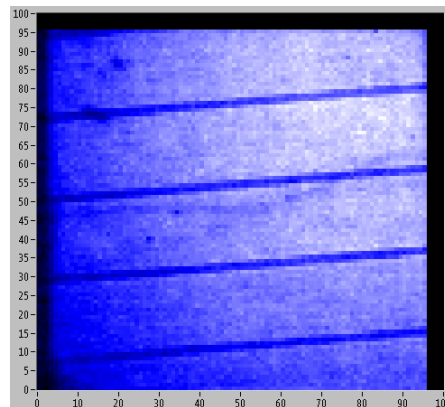
60%

Initial measurements

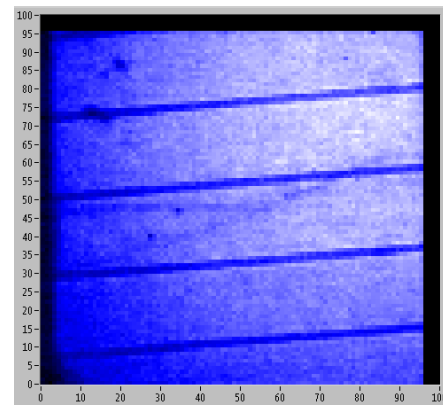
- 785nm laser
- 96x96 current map (9216 pixels) – 80μm resolution
- Defects are clearly visible, even with the current non-uniform irradiance on the sample



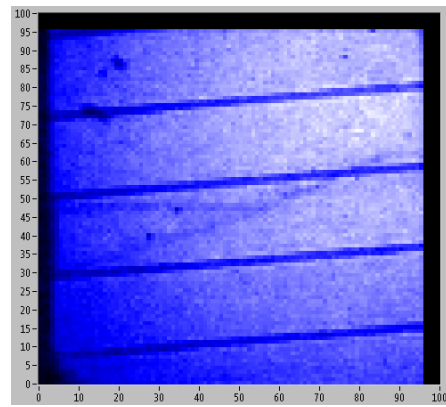
25%



40%



50%



60%

Conclusions

- Compressed sensing theory applied for current mapping of PV devices
- CS-LBIC measurements are feasible – prototype measurement setup demonstrated
- Fewer measurements and the very fast response of the DMD kit can result in faster current mapping comparing to standard LBIC systems
- Still in development - Optimised version of the experimental setup will provide more accurate results.

Thank you for your attention